
Derivation of Travel Demand Elasticities from a Tour-Based Microsimulation Model

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Introduction

- NCHRP 25-21: Predicting Short-Term and Long-Term Air Quality Effects of Traffic-Flow Improvement Projects
- Several model components
 - Land use
 - Air quality
 - Travel demand



Requirements for 25-21 method

- Quick to apply
- Transferable
- Incorporate appropriate travel behavioral responses
- Applicable at local and regional levels
- Cover a range of projects



Case studies for method

- Puget Sound region
- Several types of capacity changes
 - Freeway lane addition, removal
 - Signal coordination
 - Intersection channelization
 - Transit improvements



Travel behavior changes

- Route
- Time of day
- Mode
- Destination
- Work or home location
- Amount of travel



Assessment of model types

Four-step model	<ul style="list-style-type: none">▪ In place for most areas▪ Omits significant behaviors
Tour-based model	<ul style="list-style-type: none">▪ Models all significant behavior▪ Difficult to implement and use
Economic theory model	<ul style="list-style-type: none">▪ Reflects effects on all time use▪ Explicitly incorporates income, VOT▪ Does not produce trip tables



Travel model chosen

- Portland microsimulation tour model
- Run model to get elasticities
- Advantages
 - Incorporates main travel behavior effects
 - Elasticities are easy to apply



Elasticity

$$\frac{\text{Marginal \% change in demand}}{\text{Marginal \% change in cost}}$$



Definition of elasticity

■ Theory: $\varepsilon = \frac{\partial \log Q}{\partial \log P}$

■ Practice: $\varepsilon_A = \frac{\log(Q^1/Q^0)}{\log(P^1/P^0)}$ (arc elasticity)



Existing data on elasticities

- Some data on elasticities, e.g. HERS
- Very little data on modal cross-elasticities
- No data on time-of-day cross-elasticities



Regressions to estimate elasticity

$$\log \left[\frac{\tilde{T}_{ij}^{mp}}{T_{ij}^{mp}} \right] = \sum_{m', p'} \varepsilon_{m' p'}^{mp} \log \left[\frac{\tilde{t}_{ij}^{m' p'}}{t_{ij}^{m' p'}} \right]$$



Elasticities to be estimated

Demand		Travel time					
		AM peak			PM peak		
		Drive alone	Shared ride	Transit	Drive alone	Shared ride	Transit
AM peak	DA	●	●	●	●	×	×
	SR	●	●	●	×	●	×
	TR	●	●	●	×	×	●
PM peak	DA	●	×	×	●	●	●
	SR	×	●	×	●	●	●
	TR	×	×	●	●	●	●
Offpeak	DA	●	×	×	●	×	×
	SR	×	●	×	×	●	×
	TR	×	×	●	×	×	●



Portland tour-based model

- Descendent of STEP model (Harvey)
- Model of full day of activity
- Activities occur at home or on tour
- Time of day, mode, main destination
- Subtour and intermediate stop models

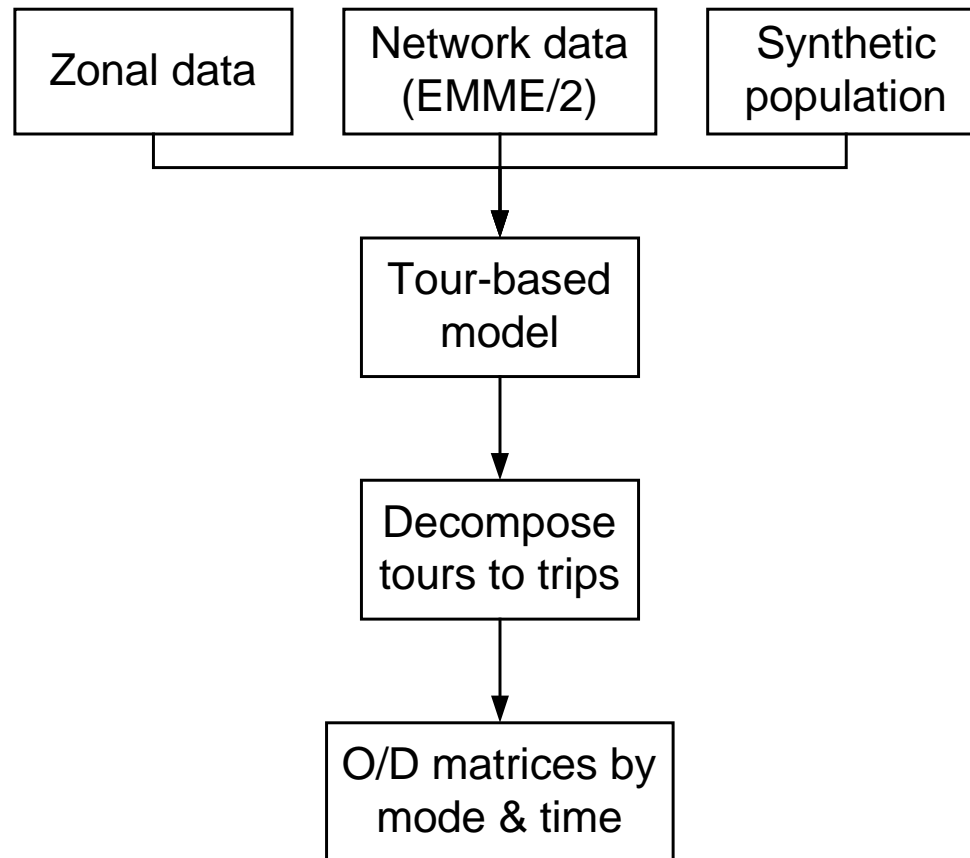


Features

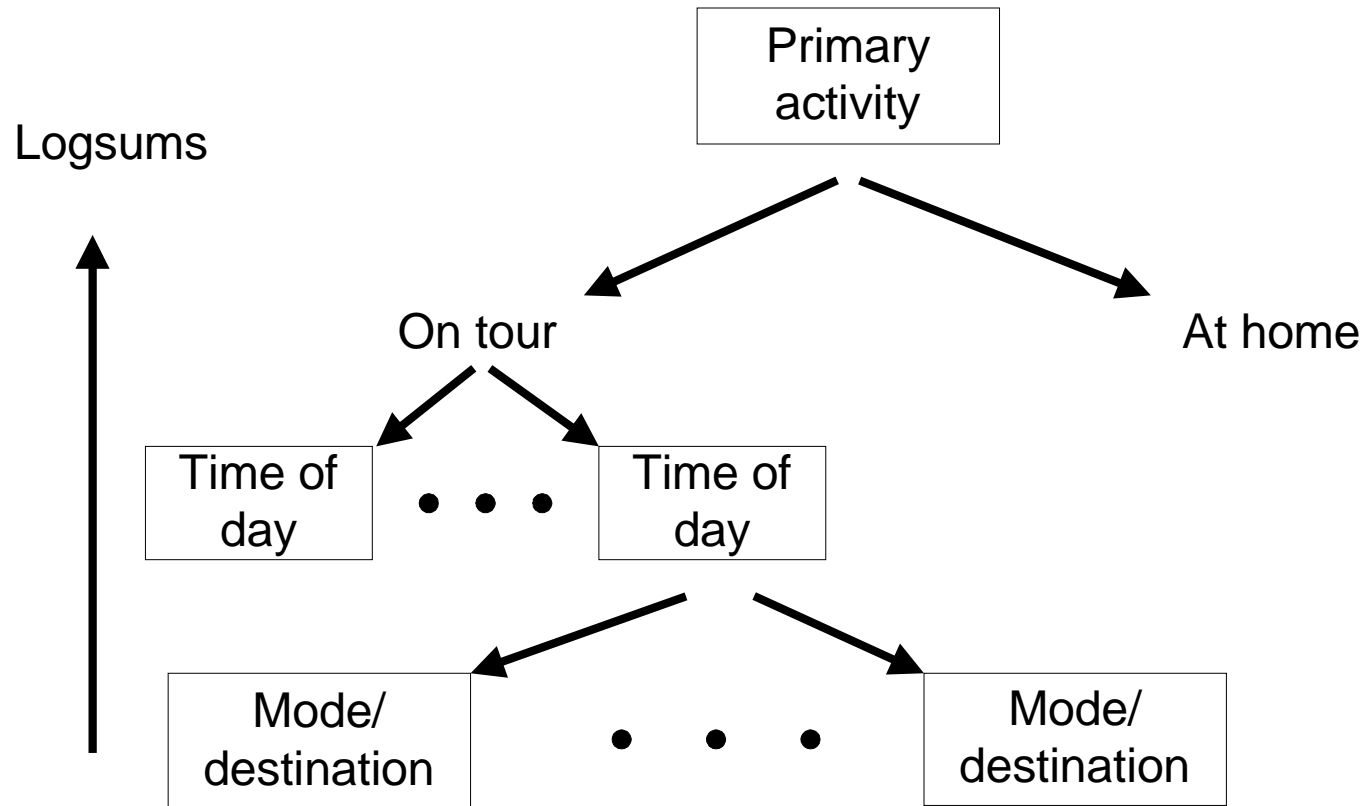
- Simultaneous modeling of all travel choices except route choice
- Model applied to individuals (sample enumeration)
- Higher-level choices incorporate utilities from lower levels
- Works on synthetic population sample



Portland tour-based model – 1



Portland tour-based model – 2



NCHRP 25-21 implementation – 1

- Did not use subtour models
- LRT mode not used
- 3 off-peak periods in Portland model =
1 off-peak period

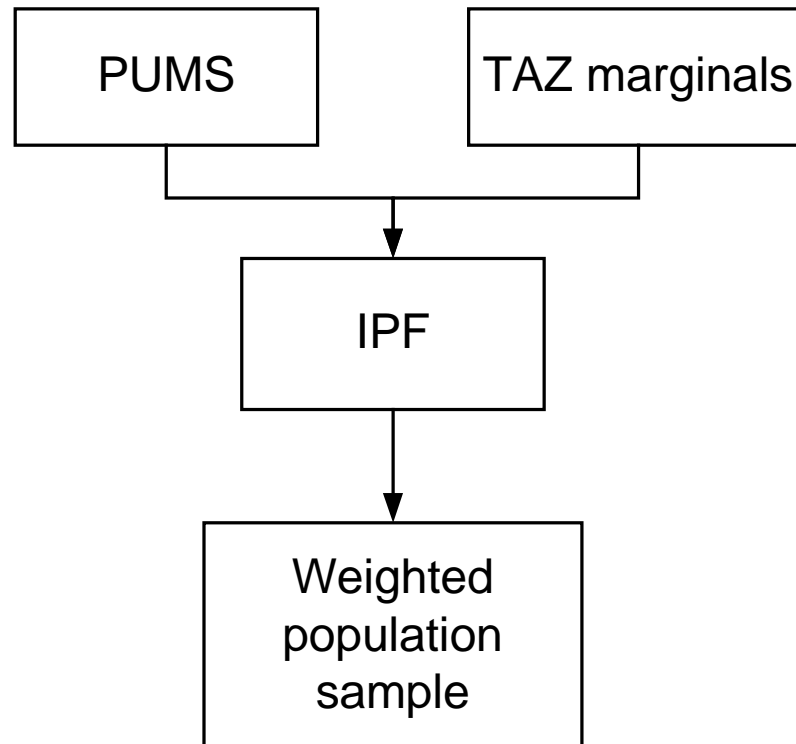


NCHRP 25-21 implementation – 2

- Multiple model runs on different synthetic populations
- Software engineering improvements
 - Object-oriented design: data encapsulation, maintenance, code reuse
 - High-quality random-number generator: avoid serial correlations



Population synthesis



Developing data for elasticities

- Adapt Portland model to Puget Sound region by adjusting model constants
- Select i, j zone pairs proportional to trips
- Run model for base case and changed travel times
- Collect data from model runs
- Regression analysis to get elasticities



Estimated elasticities

Demand		Travel time					
		AM peak			PM peak		
		Drive alone	Shared ride	Transit	Drive alone	Shared ride	Transit
AM peak	DA	-0.225	0.030	0.010	-0.024	-	-
	SR	0.037	-0.303	0.032	-	-0.028	-
	TR	0.036	0.030	-0.129	-	-	-0.007
PM peak	DA	-0.124	-	-	-0.151	<i>0.015</i>	<i>0.005</i>
	SR	-	-0.109	-	<i>0.019</i>	-0.166	<i>0.016</i>
	TR	-	-	-0.051	<i>0.018</i>	<i>0.015</i>	-0.040
Offpeak	DA	-0.170	-	-	-0.069	-	-
	SR	-	-0.189	-	-	-0.082	-
	TR	-	-	-0.074	-	-	-0.014



Applying the results

- Determine network links affected by capacity improvements
- Run select link to determine O, D zones
- Apply elasticities to O, D interchanges by time of day and mode
- Reassign revised trip table to network



Observations – elasticities

- Elasticities easy to apply
- May oversimplify complex travel behavior effects
- Adequate for purposes considered in this study
 - Small overall travel time changes
 - Capacity improvements affect peak times



Observations – microsimulation – 1

- Captures significant effects left out by four-step models
 - Trip generation
 - Time of day
- Avoid aggregation bias in choice models



Observations – microsimulation – 2

- **Software engineering**
 - Object-oriented design a must:
 - Data encapsulation
 - Code reuse/extensibility
 - Multithreaded applications
- **Significant issues:**
 - Random number generation: most sources are suspect
 - Overfitting: easy trap to fall into

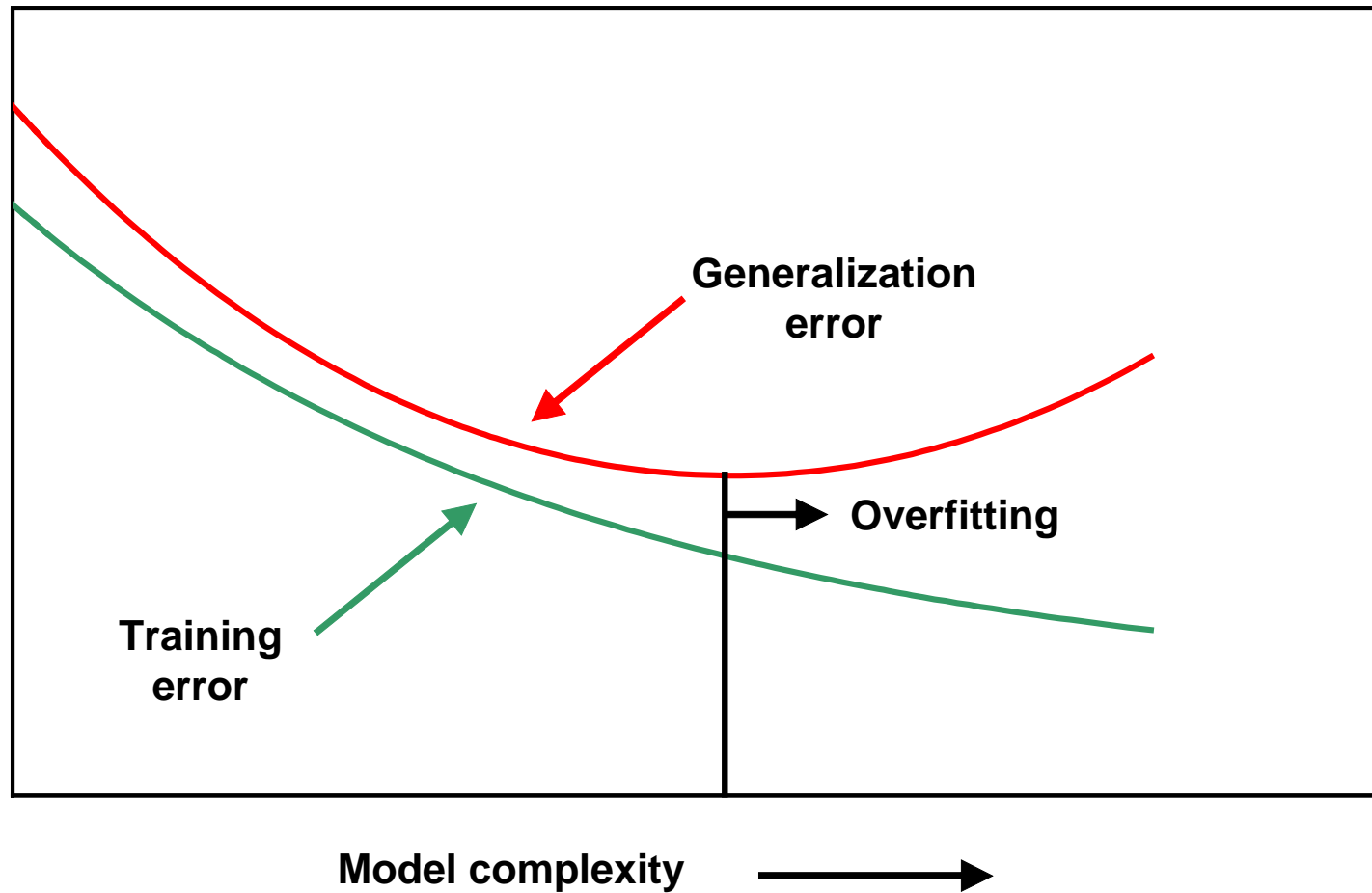


Overfitting

- Lessons from statistical learning theory
 - Model that fits the data best is not the best predictive model
 - Limits to ability of a data set to support model complexity
 - Number of parameters model: over 500 in Portland!
 - Unlikely that any data set can support more than ~ 100 variables



Overfitting



Observations – microsimulation – 3

- How will microsim models evolve?
 - New approaches to modeling
 - New hardware & software capabilities
- Data for population synthesis
 - No more long form in US Census
 - Problems with American Community Survey

